

Tutorial solutions for SU1 - 3

1a. Initial investment = Cost of new asset
+ Installation costs
- A-T proceeds from sale of old asset
 $\pm \Delta NWC$

Old asset: Book value = Cost - Acc. Depreciation
= 60 000 - 2(12 000)
= 36 000

$\downarrow \frac{60\,000}{5}$

Tax = 0,3(SP - BV)
= 0,3(45 000 - 36 000)
= 2700 liability (since SP > BV)

\therefore Initial investment = 105 000 + 5000
- (45 000 - 2700)
+ 12000*
= 79 700 \rightarrow

* $\Delta NWC = \Delta(CA - CL)$
= 30 000 + 40 000 - 58 000
= 12000 (cash outflow since $\Delta NWC > 0$)

$$b. \quad OCF_t = NOPAT_t + Depr_t \quad (\text{on an incremental basis})$$

$$= EBIT_t (1-t) + Depr_t$$

$$OCF_{1-5} = 28000(1-0,3) + 22000 \quad \downarrow \frac{110000}{5}$$

$$= 41600$$

$$c. \quad \text{Terminal cash flow} = \begin{aligned} & \text{A-T proceeds from sale of} \\ & \quad \text{new asset} \\ & - \text{A-T proceeds from sale of} \\ & \quad \text{old asset} \\ & \pm \Delta NWC \end{aligned}$$

New asset: Book value = 0 (since fully depreciated)

$$\text{Tax} = 0,3(29000 - 0)$$

$$= 8700 \text{ liability (since } SP > BV)$$

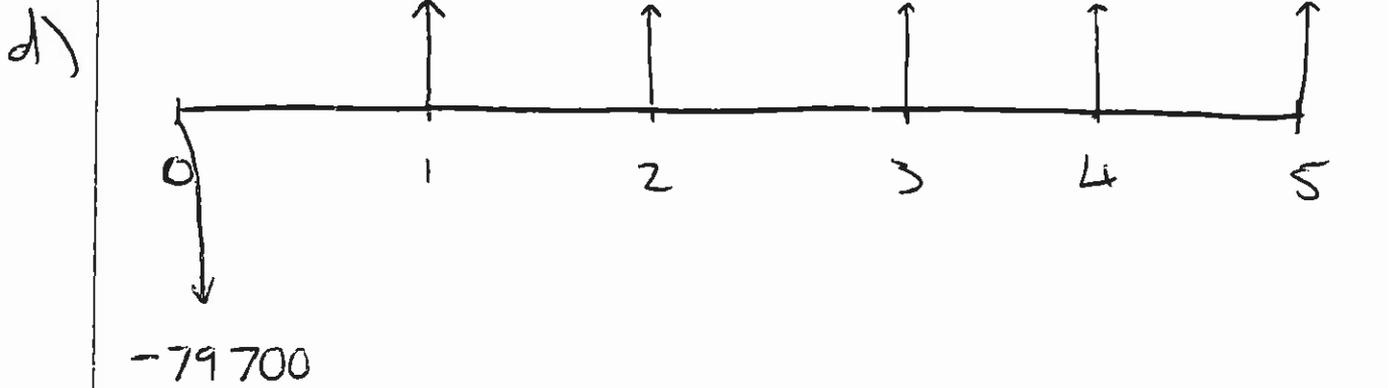
Old asset: Zero salvage value at $t=5$

$$\Delta NWC = -12000 \quad (\text{cash inflow since } \Delta NWC < 0)$$

$$\therefore TCF = (29000 - 8700)$$

$$- (0) + 12000$$

$$= 32300$$



NPV :

$$CF_0 = -79700$$

$$CF_{1-4} = +41600$$

$$CF_5 = 41600 + 32300 = 73900$$

$$\hat{r} = 12\%$$

$$\therefore NPV = 88587 > 0 \Rightarrow \text{Accept}$$

IRR :

$$CF_0 = -79700$$

$$CF_{1-4} = +41600$$

$$CF_5 = +73900$$

$$\therefore IRR = 47,47\% > 12\% \text{ (c.o.c.)} \Rightarrow \text{Accept}$$

PI :

$$PI = \frac{PV(CF_{1-5})}{CF_0}$$

$$= \frac{168286}{79700}$$

$$= 2,11 > 1 \Rightarrow \text{Accept}$$

Payback period : $CF_0 = -79700$
 $CF_1 + CF_2 = 83200$

\therefore Payback period is just under 2 years (which is less than the maximum acceptable time)

The project is clearly acceptable using each method; therefore, Thebes should invest in the machine

$$2a). \quad RADR_p = 0,10 + 1,5(0,04) \\ = 0,16$$

$$RADR_s = 0,10 + 0,9(0,04) \\ = 0,136$$

b) Phalaborwa : $CF_0 = \text{~~150m}~~ - 100m$
 $CF_1 = +10m$
 $CF_2 = +20m$
 $CF_3 = +35m$
 $CF_4 = +45m$
 $CF_5 = +45m$
 $CF_6 = +50m$
 $i = 16\%$

$$\therefore NPV_p = 12\,707\,264 > 0 \Rightarrow \text{Acceptable}$$

Sishen : $CF_0 = -100m$
 $CF_1 = +15m$
 $CF_2 = +25m$
 $CF_3 = +30m$
 $CF_4 = +30m$
 $CF_5 = +40m$
 $CF_6 = +45m$
 $i = 13,6\%$

$$\therefore NPV_s = 13\,135\,766 > 0 \Rightarrow \text{Acceptable}$$

c) Phalaborwa : $CF_0 = -100m$
 $CF_1 = 0,9 (10m) = +9m$
 $CF_2 = 0,85 (20m) = +17m$
 $CF_3 = 0,8 (35m) = +28m$
 $CF_4 = 0,75 (45m) = +33,75m$
 $CF_5 = 0,7 (45m) = +31,5m$
 $CF_6 = 0,65 (50m) = +32,5m$
 $\hat{i} = 10\%$

$\therefore NPV_p = 4\ 224\ 348 > 0 \Rightarrow$ Acceptable

Siolen : $CF_0 = -100m$
 $CF_1 = 0,95 (15m) = +14,25m$
 $CF_2 = 0,9 (25m) = +22,50m$
 $CF_3 = 0,85 (30m) = +25,50m$
 $CF_4 = 0,8 (30m) = +24m$
 $CF_5 = 0,75 (40m) = +30m$
 $CF_6 = 0,7 (45m) = +31,50m$
 $\hat{i} = 10\%$

$NPV_s = 3\ 509\ 006 > 0 \Rightarrow$ Acceptable

d) Phalaborwa: $CF_0 = -100m$
 $CF_1 = +10m$
 $CF_2 = +20m$
 $CF_3 = +35m$
 $CF_4 = +45m$
 $CF_5 = +45m$
 $CF_6 = +50m$

$\therefore IRR = 19,68\% > 16\% \text{ RADR} \Rightarrow \text{Acceptable}$

Sibaken: $CF_0 = -100m$
 $CF_1 = +15m$
 $CF_2 = +25m$
 $CF_3 = +30m$
 $CF_4 = +30m$
 $CF_5 = +40m$
 $CF_6 = +45m$

$\therefore IRR = 17,52\% > 13,6\% \text{ RADR} \Rightarrow \text{Acceptable}$

e) Using each approach, both projects appear acceptable. Since they are independent, Sibaya should invest in both.

3. EAA approach

• NPV_H : $CF_0 = -1.5m$
 $CF_{1-3} = +850\ 000$
 $\bar{i} = 11\%$
 $\therefore NPV_H = 577\ 158$

$$EAA_H = \frac{NPV_H}{PVIFA_{3,11\%}}$$

$$= \frac{577\ 158}{2,444}$$

$$= \underline{R236\ 153} \rightarrow \text{a.k.a. Annualised NPV}$$

• NPV_A : $CF_0 = -3,5m$
 $CF_{1-6} = +1,1m$
 $\bar{i} = 11\%$
 $\therefore NPV_A = 1\ 153\ 592$

$$EAA_A = \frac{NPV_A}{PVIFA_{6,11\%}}$$

$$= \frac{1\ 153\ 592}{4,231}$$

$$= \underline{R272\ 652} \rightarrow \text{a.k.a. Annualised NPV}$$

\therefore Using the EAA approach, CCDU should invest in the Allianz processor since it has the higher annualised NPV

Replacement chain approach

- Both projects need to be looked at on a 6 year basis as their common life

Hitachi:

$$\begin{aligned}CF_0 &= -1,5m \\CF_1 &= +850\,000 \\CF_2 &= +850\,000 \\CF_3 &= +850\,000 - 1,5m \\&= -650\,000 \\CF_4 &= +850\,000 \\CF_5 &= +850\,000 \\CF_6 &= +850\,000\end{aligned}$$

$$\hat{i} = 11\%$$

$$\therefore \text{Adjusted NPV}_H = 999\,120$$

Allianz:

$$\begin{aligned}CF_0 &= -3,5m \\CF_{1-6} &= +1,1m \\ \hat{i} &= 11\%\end{aligned}$$

$$\therefore \text{NPV}_A = 1\,153\,592$$

- ∴ CCDU should invest in the Allianz processor since its 6-year adjusted NPV is higher

4a)

<u>Project</u>	<u>NPV</u>	<u>CF₀</u>
D	+220m	-1,8bn
G	+180m	-1bn
B	+150m	-1,2bn
A	+120m	-800m
E	+110m	-750m
C	+100m	-750m
F	+50m	-1,4bn

b). Taking on G, B and A will offer the highest combined NPV (450m), for a total investment of R3bn

Tutorial solutions for SU 4-7

1a). Cost of debt

$$r_d = \frac{I + \frac{1000 - Nd}{n}}{\frac{Nd + 1000}{2}}$$
$$= \frac{90 + \frac{1000 - 1034}{7}}{\frac{1034 + 1000}{2}}$$
$$= \underline{8,37\%} \rightarrow \text{(before tax)}$$

Cost of preference shares

$$r_p = \frac{d_p}{N_p}$$
$$= \frac{0,11(100)}{100(1-0,04)}$$
$$= \underline{11,46\%} \rightarrow$$

Cost of retained earnings / 'old' equity

$$r_{re} = \frac{D_1}{P_0} + g$$
$$= \frac{D_0(1+g)}{P_0} + g$$
$$= \frac{3,50(1,06)}{75} + 0,06 = \underline{10,95\%} \rightarrow$$

Cost of new equity

$$r_E = \frac{D_1}{P_0 - N} + g$$

$$= \frac{3,50(1,06)}{75(1-0,05)} + 0,06$$

$$= \underline{11,21\%}$$

b) $WACC = W_D r_D (1-t) + W_P r_P + W_{re} r_{re} + W_E r_E$

$$= 0,4(0,0837)(1-0,35) + 0,1(0,1146) + 0,2(0,1095) + 0,3(0,1121)$$

$$= \underline{8,875\%}$$

d) Firm value = $\frac{EBIT(1-t)}{WACC}$

$$= \frac{108m(1-0,35)}{0,08875}$$

$$= \underline{R790\ 985\ 916}$$

$$z_a) \text{ Break-point} = \frac{\text{Level of Retained Earnings}}{\text{Weighting of retained earnings/equity}}$$

$$= \frac{40m}{0,4}$$

$$= R100m$$

→

ie. Should Ocean Holdings require financing of more than R100m, it will need to issue new shares

b) For financing < R100m:

$$WACC = W_D r_D (1-t) + W_E r_E$$

$$r_E = \frac{D_1}{P_0} + g = \frac{8,19^*}{80} + 0,05$$

\downarrow retained earnings (old equity)

$$= 15,24\%$$

$$D_1 = E_1 \times 0,65$$

$$\begin{aligned}
 &= \cancel{(E_0)}(1+g) = E_0(1+g)(0,65) \\
 &= 12(1,05)(0,65) \\
 &= 8,19
 \end{aligned}$$

$$\therefore WACC = 0,6(0,082) + 0,4(0,1524)$$

$$= 11,02\%$$

→

For financing greater than R100m:

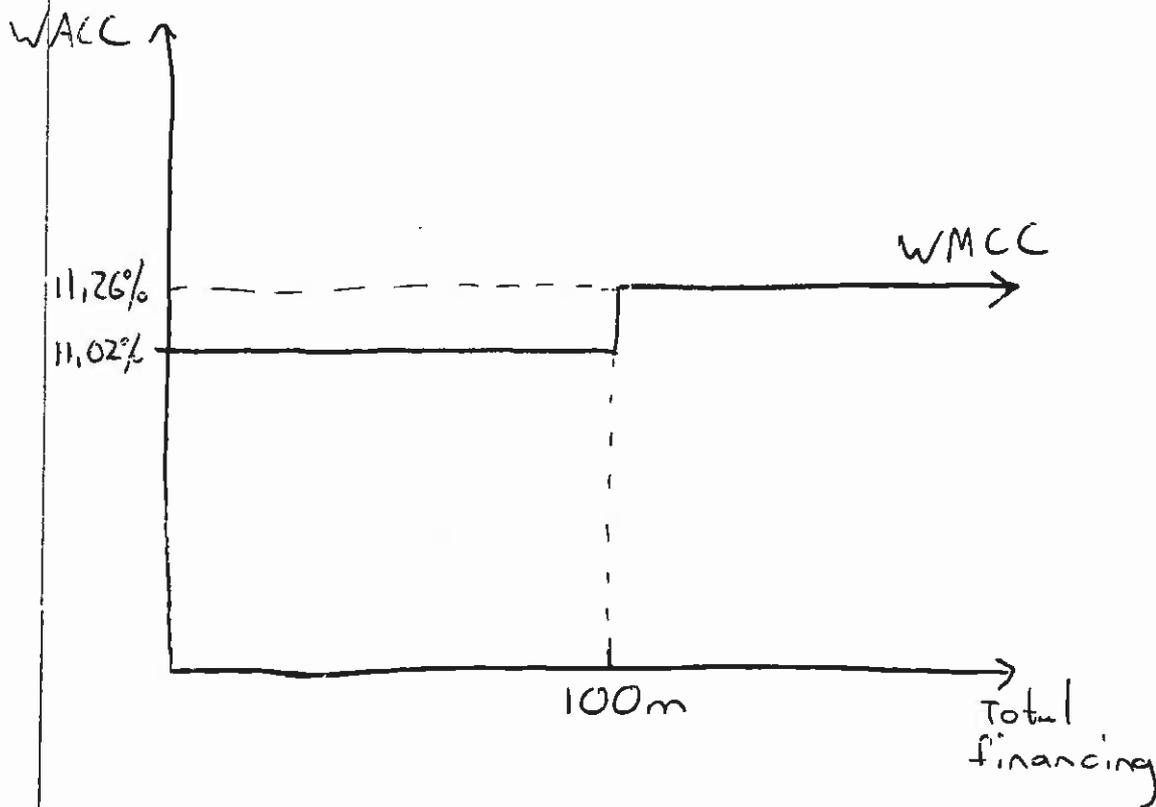
$$r_E = \frac{D_1}{P_0 - F} + g = \frac{8,19}{80 - 4,50} + 0,05$$

Cost of new equity

$$= 15,85\%$$

$$\therefore WACC = W_D r_D (1-t) + W_E r_E$$
$$= 0,6(0,082) + 0,4(0,1585)$$
$$= 11,26\%$$

→



$$3a) \text{ Op. BEP} = \frac{FC}{P-V}$$

$$= \frac{27m}{2350 - 850}$$

$$= 18\,000 \text{ units}$$

Overall

$$b) \text{ ~~FC~~ BEP} = \frac{FC + IC}{P-V}$$

$$IC = \text{Int. exp.} + \frac{PD}{1-t}$$

$$= 18m + \frac{7.5m}{(1-0.3)}$$

$$= R28\,714\,286$$

$$\therefore \text{ Overall BEP} = \frac{27m + 28\,714\,286}{2350 - 850}$$

$$= \underline{\underline{37143 \text{ units}}}$$

$$c) OL = \frac{(P-V)X}{(P-V)X - FC}$$

$$= \frac{(2350 - 850)49000}{(2350 - 850)49000 - 27m}$$

$$= 1.58 > 1 \Rightarrow OL \text{ exists}$$

$$d) \quad FL = \frac{(P-V)X - FC}{(P-V)X - FC - IC}$$

$$= \frac{(2350 - 850)49000 - 27m}{(2350 - 850)49000 - 27m - 28714286}$$

$$= 2,61 > 1 \Rightarrow FL \text{ exists}$$

$$e) \quad TL = OL \times FL$$

$$= 1,58 \times 2,61$$

$$= 4,12 > 1 \Rightarrow TL \text{ exists}$$

4. Option I

R50m in equity \Rightarrow 500 000 new shares
@ R100 per share

EBIT	R28 000 000
Int. exp.	<u>0</u>
EBT	28 000 000
Tax @ 35%	<u>(9 800 000)</u>
EAT	18 200 000
No. shares outstanding	(2m + 500') = 2,5m
EPS	<u>R7,28</u>

\longrightarrow

Option II

EBIT	28 000 000
Int. exp.	(4 500 000)*
EBT	<u>23 500 000</u>
Tax @ 35%	(8 225 000)
EAT	15 275 000
No. shares outstanding	2m
EPS	<u>R7,64</u> →

$$\begin{aligned} * \text{Int. exp.} &= \text{R50m} \times 0,09 \\ &= \text{R4 500 000} \end{aligned}$$

Option III

EBIT	28 000 000
Int. exp.	<u>0</u>
EBT	28 000 000
Tax @ 35%	(9 800 000)
EAT	<u>18 200 000</u>
Preferred dividend	(5 500 000)*
Earnings	12 700 000
No. shares outstanding	2m
EPS	<u>R6,35</u> →

$$\begin{aligned} * \text{Preferred dividend} &= \text{R50m} \times 0,11 \\ &= \text{R5 500 000} \end{aligned}$$

Option IV

EBIT	28 000 000
Int. exp.	(1 800 000)*
EBT	<u>26 200 000</u>
Tax @ 35%	(9 170 000)
EAT	<u>17 030 000</u>
No. shares outstanding	2.3m †
EPS	<u>R7,40</u> →

$$\begin{aligned} * \text{ Int. exp.} &= R20m \times 0,09 \\ &= R1 800 000 \end{aligned}$$

† R30m ~~is~~ in new shares \Rightarrow 300 000
new shares issued at R100 per share,
for 2.3m total shares outstanding

\therefore Option II results in the highest EPS

$$5a) WACC = W_D r_D(1-t) + W_E r_E$$

$$= 0,25(0,08)(1-0,3) + 0,75(0,13)$$

$$= \underline{11,15\%}$$

EBIT	15 000 000
Int. exp.	<u>(1 600 000)</u>
EBT	13 400 000
Tax @ 30%	<u>(4 020 000)</u>
EAT	9 380 000
No. shares outstanding	1.5m
EPS	<u>6,25</u>

$$b) \frac{D}{D+E} = 0,5 = \frac{D}{A}$$

$$A = 80m \Rightarrow D = 0,5(80m)$$

$$= 40m \rightarrow \text{Desired debt level}$$

Debt is currently R20m. Therefore, MicroFin must issue/raise an additional R20m in debt to meet its target

$$c) \text{Equity value was } 0,75(80m) = R60m$$

With 1,5 million shares outstanding, this implies a per share value of $\frac{60m}{1,5m} = R40$

With R20m in new debt, $\frac{20m}{40} = 500\,000$ shares will be repurchased

$$\begin{aligned}
 d) \text{ WACC} &= w_D r_D (1-t) + w_E r_E \\
 &= 0,5(0,085)(1-0,3) + \cancel{0,5(0,13)} + 0,5(0,14) \\
 &= \underline{\underline{9,98\%}}
 \end{aligned}$$

EBIT	15 000 000	
Int. exp.	(3 400 000)	
EBT	11 600 000	
Tax @ 30%	(3 480 000)	
EAT	8 120 000	$40m \times 0,085$
No. shares outstanding	1m	$\rightarrow 1,5m - 500'$
EPS	R 8,12	

- e) WACC decreases after the restructuring, which ~~it~~ would increase firm value. Therefore, the restructuring should be pursued.
- f) EPS is higher after the restructuring. Therefore, it should be pursued.

Tutorial solutions for SU 8-10

1a. Dividend = $0,45 \times 21m$
= R 9 450 000 →

b. Dividend = Prev. Div. $\times (1+g)$
= $8.7m \times (1,06)$
= R 9 222 000 →

c. Investment = R8m

40% equity $\Rightarrow 0,4 (8m)$
= R 3,2m of the investment
outlay comes from equity

\therefore Dividend = $21m - 3,2m$
= R 17,8m →

Lease

$$A = \frac{\text{Amount of lease}}{1 + PVIFA_{r, n-1}}$$

$$= \frac{2m}{1 + PVIFA_{10\%, 3}}$$

$$= \frac{2m}{1 + 2,487} = R 573 559$$

<u>Year</u>	<u>A</u> <u>Lease Pmt</u>	<u>A+t</u> <u>Tax savings</u>	<u>Net cash flow</u>
0	(573 559)		(573 559)
1	(573 559)	229 424	(344 135)
2	(573 559)	229 424	(344 135)
3	(573 559)	229 424	(344 135)
4		229 424	229 424

In Year 4, Palladium will purchase the drill for R700 000. Thus, Year 4's overall cash flow is $229\ 424 - 700\ 000 = (470\ 576)$.

$$\begin{aligned}
 \text{Thus: PV (Cost of Lease)} &= -573\ 559 + \frac{-344\ 135}{(1,08)} \\
 &+ \frac{-344\ 135}{(1,08)^2} + \frac{-344\ 135}{(1,08)^3} + \frac{-470\ 576}{(1,08)^4} \\
 &= -R1\ 806\ 316
 \end{aligned}$$

Outright purchase

$$\begin{aligned}
 \text{Loan payment} &= \frac{\text{Amount of loan}}{\text{PVIFA}_{4,9\%}} \\
 &= \frac{2\text{m}}{3,240} \\
 &= R617\ 284
 \end{aligned}$$

Calculate the explicit interest component of the loan payment by setting up a loan amortisation schedule:

<u>Year</u>	<u>Loan Pmt</u>	<u>Beg. Principle</u>	<u>Interest</u> @ 4%	<u>Re Pmt of Principle</u>
1	617 284	2 000 000	180 000	437 284
2	617 284	1 562 716	140 644	476 640
3	617 284	1 086 076	97 747	519 537
4	617 284	566 539	50 988	566 296
5	0	0	0	0

Slight differences in rounding may arise above

Thus:

<u>Year</u>	<u>Loan Pmt</u>	<u>Intr. & maintenance</u>	<u>Depr.</u>	<u>Interest</u>	<u>Total deductions</u> = (3)+(4)+(5)	<u>Tax savings</u> = (6)*t
1	617 284	150 000	500 000	180 000	830 000	332 000
2	617 284	150 000	500 000	140 644	790 644	316 258
3	617 284	150 000	500 000	97 747	747 747	299 099
4	617 284	150 000	500 000	50 988	700 988	280 395

Leading to:

<u>Year</u>	<u>Loan Pmt</u>	<u>Other cash costs</u>	<u>Tax savings</u>	<u>Net outflow</u> (4) = (1) + (2) - (3)
1	(617 284)	(150 000)	332 000	(435 284)
2	(617 284)	(150 000)	316 258	(451 026)
3	(617 284)	(150 000)	299 099	(468 185)
4	(617 284)	(150 000)	280 395	(486 889)

Thus : PV (cost of outright purchase)

$$\begin{aligned} &= \frac{-435284}{(1,08)} + \frac{-451026}{(1,08)^2} + \frac{-468185}{(1,08)^3} \\ &+ \frac{-486889}{(1,08)^4} = -R1519261 \end{aligned}$$

∴ Comparing the two alternatives, the outright purchase is cheaper (at R1519261) than the lease (R1806316)

3. Max price = Value (GenPharm) + Synergies

$$\begin{aligned} &= R11bn + R2,25bn \\ &= R13,25bn \end{aligned}$$

∴ The offer should ~~be~~ lie between R11bn (the standalone value) and R13,25bn

