

A

Short questions

hypothesis \rightarrow points towards possible relationships between variables

null hypothesis \rightarrow no effect

Alternative hypothesis \rightarrow an effect

test intelligence / dependent variable

whatever is being tested is the dependent variable
independent variable \rightarrow gets manipulated by the experimenter.

Random sample \rightarrow every member has the same chance of being included.

\rightarrow non directional alternative hypothesis \rightarrow use 2 tailed test.

\rightarrow Direction of Prediction uncertain / (determine if there is a difference)

\rightarrow directional (one tailed) gives direction eg Group A's productivity is higher than Group B

Degree of freedom is always less than $N = \text{formula } (N-1)$

manipulation of the independent variable in an experiment is called the treatment factor.

Type 1 error when null hypothesis is rejected when it's true.

Test statistic $\begin{cases} < \\ > \end{cases}$ critical value $\begin{cases} - \text{Do NOT reject} \\ - \text{Reject.} \end{cases}$

B

$$df_{total} = N - 1$$

$$\rightarrow df_{total} = df_{group} + df_{error}$$

\rightarrow ANOVA (squared values) is always positive.

\rightarrow relationship between nonmetric independent / 2 or more dependent variables \Rightarrow Multivariate ANOVA

\rightarrow relationship between single nonmetric dependent variable / various metric independent variables \rightarrow multiple discriminant analysis

\rightarrow Matched groups N is equal to the number of pairs.

\rightarrow In ANOVA $df_{error} = \text{number of cases} - \text{number of groups} (N - k)$

$$df = N - k$$

(done in a table)

- T-test for related samples used when wanting to determine if students that handed in assignments does better in the exams than those that did not
 \rightarrow the results of the groups have been matched

\rightarrow relationship between 2 variables \rightarrow correlation.
eg relationship between no of days absent and the employee's attitude towards supervisor.

C

Raw score easier to interpret if you have the standard deviation.

extreme scores → do not affect → mode
→ median

→ does affect → mean.

→ Range

→ correlation

↓ dependent variable \Rightarrow being measured - Criterion - Y

independent variable \Rightarrow manipulated. \rightarrow predictor - X

measure effected most by extreme score in a distribution.

median \rightarrow middle score / central value

mode \rightarrow most frequent occurring score.

mode \rightarrow best reflector of central tendency

\rightarrow not affected by extreme values

mean \rightarrow average

median
mean \rightarrow not affected extreme values

central tendency \rightarrow mode - not affected by extreme scores

* \rightarrow mean \rightarrow affected

\rightarrow median \rightarrow not affected by extreme scores.

mean \rightarrow influenced by extreme scores

Range \rightarrow Affected / influenced by extreme score.

Mode \rightarrow score that occurs most often

normal distribution = 1 σ Standard deviation = 1

\hookrightarrow mean = 0

\hookrightarrow 3 standard deviations below \rightarrow 3 standard deviations above

\rightarrow same area between 1 and 2

as -1 and -2

value of the correlation coefficient r can vary between -1 \leq 1

$r =$

Kruskal Wallis \rightarrow non parametric / one way Anova (F-test)

Wilcoxon \rightarrow non parametric equivalent - t -test matched pair
Mann-Whitney - non parametric \parallel \rightarrow t -test independent

g/ Descriptive statistics → organise, summarise + describe data.

Inferential Statistics → technique applied to samples to make inferences about populations / experimental research.

T. test Non parametric equivalent

matched pairs tests → Wilcoxon

Independent samples → Mann Whitney

~~k~~

unrelated samples → Kruskal Wallis
ANOVA equivalent F-test

Related samples → Wilcoxon

Related groups →

T-test → compare 2 estimated population means

Non-parametric → tests that do not rely on parameter estimation / distributional assumptions

most important difference between correlation + regression is that regression is used to make predictions

null hypothesis = statistical hypothesis

increase in sample size decreases probability of error II β

Science principal → can be published + repeated by other researchers / scientists

→ Comment on graphic displays

→ symmetry

→ modality

→ skewness

→ kurtosis

Anova - used to test for differences between the means of 2 or more groups.

T-Test - 2 independent samples (means)

R = correlation coefficient → relationship 2 variables

chi-square test → analyse frequency / categorical data.

→ variables

Population → set of events

→ Parameter ⇒ Population data.

Sample → observed scores

→ Statistic ⇒ Sample data

Alternative H

H_0 = sample mean in Null hypothesis

Variances + Standard deviations are always positive.

* mice starved / mice fed → running speed you should be able to compute correlation between them

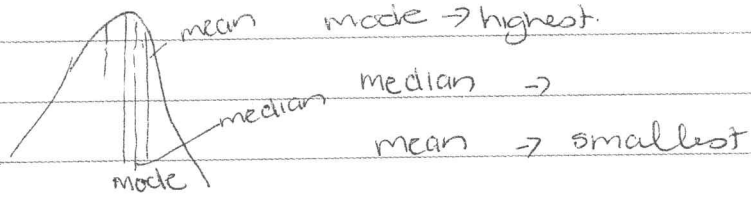
Frequency polygon ⇒ Line chart → both this + ~~bar~~ histogram is drawn from frequency information ∴ should provide same info. if based on the same data

* Raw score you need → mean μ

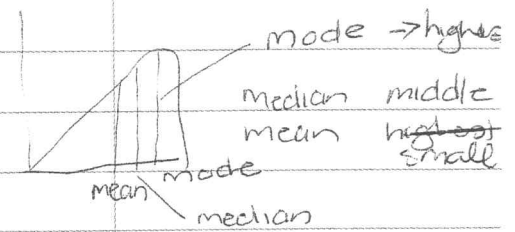
→ Standard deviation σ

→ no. of cases N

possibly skewed distribution



negatively.



correlation \rightarrow effected by extreme/outlying points
 \rightarrow misleading if the population are not homogeneous

generalization of sample data \rightarrow population \Rightarrow statistical inference

regression \rightarrow make prediction.

average score for ~~the~~ example of a class = descriptive statistic

Categorical data = frequency data

sample \rightarrow observations drawn from a population

histogram \rightarrow extreme score \rightarrow highest point

data in a frequency table/graph is called a frequency distribution distribution

nominal scales \rightarrow used for stat. processing \Rightarrow way to measure

Descriptive statistics \rightarrow describe a set of data

inference statistics \rightarrow generalisation from sample to population

central values = descriptive of nature.

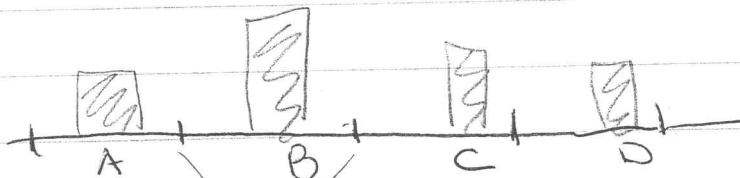
hypothesis \Rightarrow research hypothesis want to research

① Frequency distr. table

	F	F cumulative	%	cum. %
A		A	A/N	% +
- write in		A+B	B/N	A% + B%
- order it was given		A+B+C	C/N	ABC % together
-		↓	D/N	<u>Total</u>
or higher lower.				
	$N = \text{*sum.}$		100%	

Graph

Note: gaps between graphs



Note between Markers

Real limits \rightarrow eg 93 - 98

Real limit 92.5 \rightarrow 98.5

If an interval size is given. calculate

Midpoint \rightarrow halfway mark of the class interval

Real limit. \rightarrow class interval. \rightarrow .5 (or if given .9) etc.

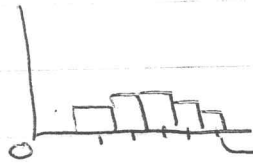
below the low level +

.5 above top level.

Draw the histogram with midpoints calculated above

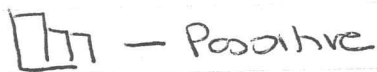
2

Histogram



class midpoint,
no gaps between classes / group bars
could have blank space in beginning

kurtosis → peakness / skewness.

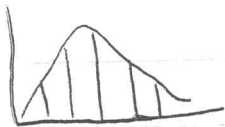


Positive



negative.

Unimodal symmetrical



peak in middle

Symmetrical Bimodal



peak on sides

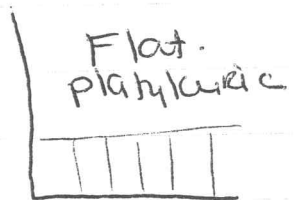
Symmetrical → center most points in middle



Peaked - leptokurtic



normal mesokurtic



Flat - platykurtic

- peaked - leptokurtic
- normal - mesokurtic
- flat → platykurtic.

3

percentile rank

% below = cum. % below class in which you are calculating for.

Score of $P \approx RLL =$

Find the cumm % where the score will fall in, that is what you use

interval % = % of the group you are working with

Use .2 decimals. 0,43
2,53
7,41 etc.

Always do : + write a short summary
eg : Score at 25th percentile is . . .

Mode = number that occurs the most

Median = middle = sort data in order write out

use median location $\frac{N+1}{2}$

\therefore median = that position \rightarrow look at the sorted data + find it.

④

$$\text{Mean} = \bar{X} = \frac{\sum X}{N}$$

$$\text{Variance} = s_x^2 = \frac{\sum X^2 - \frac{(\sum X)^2}{N}}{N-1}$$

calculate X^2 in a table / calculate Y^2 and XY (X times Y)

Standard deviation =

$$s_x = \sqrt{s_x^2}$$

$$s_x = \sqrt{\text{Variance}}$$

Scatter diagram → name points A, B
1, 2 etc. as
per question.

- Round to 2 decimals

Correlation. 0 = no correlation

1 → strong positive

-1 → strong negative

-0.25 → weak negative

0.25 → weak positive.

Correlation does not imply that one factor causes the other only implies an association.

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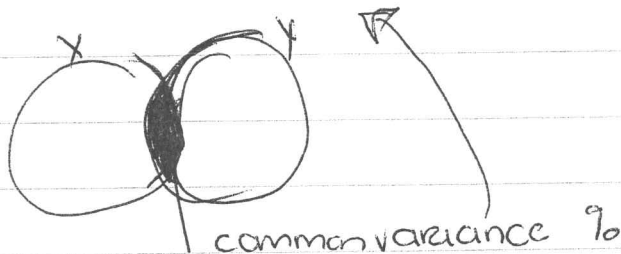
Percentage of common variance + diagram

$$r = \frac{xy}{\sqrt{xx \cdot yy}}$$

$$r^2 = \frac{(xy)^2}{xx \cdot yy}$$

$$= \frac{xy}{\sqrt{xx \cdot yy}} \times 100$$

$$= \text{ \% common variance}$$

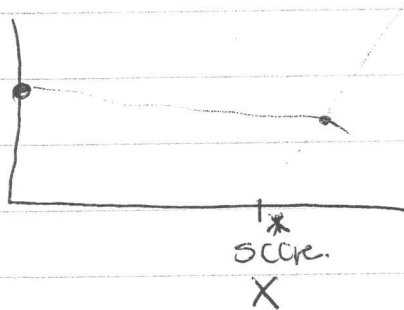


X = predictor variable

$$b = \text{slope} = b = \frac{N \sum XY - (\sum X)(\sum Y)}{N \sum X^2 - (\sum X)^2}$$

predict a score. $\hat{Y} = bx + a$ (where X is given)

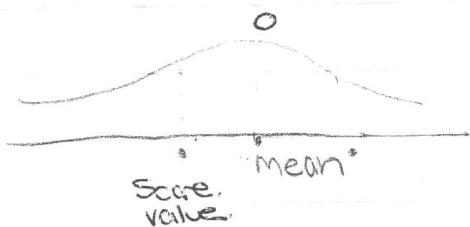
Regression line



negative

positive.

6 When doing z table - Standard normal distribution
also Always do sketch

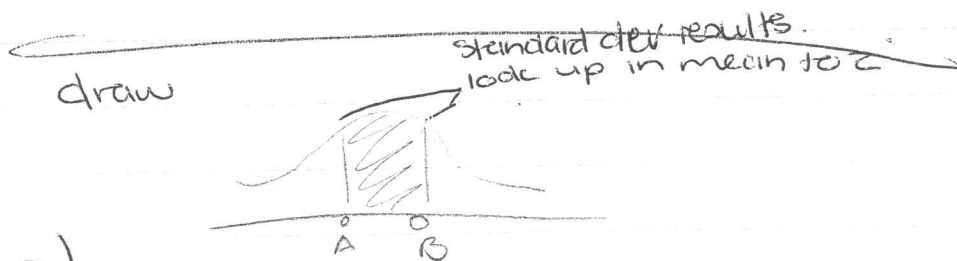


color in the section \rightarrow look at bigger \rightarrow
smaller \leftarrow

number of cases with a raw score use
Z calculated + look up mean to z proportions
for both

..Add together

$\times N =$ no of people etc.



$$\therefore (X^1 + X^2) \times N$$

2 common fixed limits = z values.

$$95\% = 1.96$$

$$99 = 2.58$$

7

T test -> normal distribution

Calculate $D + D^2$ For Groups. (Prime Sample amount N)

$$D = A - B = D \quad D \times D = D^2$$

$$\text{Mean of difference scores} = \frac{\sum D}{N}$$

one tailed test $\alpha = 0,01$ look up in ~~same~~ tables

make sure you look at the correct table

1 tailed + 2 tailed tables / look at Right line.



Rejecting / not rejecting H_0 (Null hypothesis)

(chi f, +) test statistic > critical value reject H_0 . (Degree of freedom)
" " < " " do not reject "

Normality differ for 2 group.

Null Hypothesis $H_0 = H_A = A = B$

Alter. " $H_1 = H_A \neq H_B$

Calculate X_A X_A^2 $\bar{X}_A = \sum X_A / N(A)$

X_B X_B^2 $\bar{X}_B = \sum X_B / N(B)$



only round final answer

write tailed lookups as to .05 = value positive
01. etc -> value lookups

8

Reject

Take 100% → Less value of lookup 0,5, 01

0,01 = 99% sure

0,05 = 95% sure

etc.

For a 99%/95% certainty that there is a significant difference

3 or more groups different methods tested/used.

Calculate χ^2 for each method. + Σ of each

USE SS total

group error.

N = total of all participants

n = total no in each group

for SS group remember to do $\frac{\Sigma X (\text{group})}{N}$ total participants

Do Table + fill in from calculations above

Source	df	SS	MS	F
Group				
Error				
Total				

(a)

look up the critical value in table

use df (group \rightarrow)
error \downarrow)

to determine value - make sure you are
on the right table

eg:

$$F_{0,01}(2,27) = 3,35$$

$$F_{0,05}(2,15) = 6,36$$

Null Hypothesis = F_{calc} $F_{(lookup)}$
= $>$ Reject
= $<$ Do not reject

- Data Set - Chi Test.

Yes/No

2 Groups

Do Table. example

	Yes	No	Total
Male A	10	6	16
Female B	8	10	18
Total	18	16	34

Calculate E first $E_{ij} = \frac{R_i C_j}{N}$

Do for each value Yes/No Male + Female \therefore 4 in this case

10

Do this by using the table/

Enter then next to answers in table

	Yes	No	Total
Eg. Male	(A) 10 (8.47)	6 (AA) (7.53)	16
Female	(B) 8 (9.53)	10 (AB) (8.47)	18
	18	16	34

$$18 \times 16 \text{ (A) } / 34$$

$$16 \times 16 \text{ (AA) } / 34$$

$$18 \times 18 \text{ (B) } / 34$$

$$16 \times 18 \text{ (AB) } / 34$$

Now calculate $\chi^2 = \sum \frac{(O - E)^2}{E} + \sum \frac{(O - E_i)^2}{E_i} + \dots$

O = Answer given

eg. 10, 6, 8, 10

in this case 4

Remember only the top portion ()² not the bottom part

Use . 2 decimals only. Show all calculations

Critical value \rightarrow tables (z table) A.1.7) look for the χ^2

calculate $df = (R-1)(C-1) = \frac{\text{ANSWERS}}{\text{GROUPS}}$ in this case

2 groups / answers

$$= (2-1)(2-1) = 1$$

11

11

$x^2 > \text{critical value.} - \text{REJECT}$
 $x^2 < \text{critical value} \quad \text{Do NOT reject}$

Non-parametric equivalent

F. test - Anova. - Kruskal Wallis

T. matched pairs / related groups - t-test Wilcoxon

T-Independent → Mann-Whitney.

Regression ⇒

equation $y = bx + a$

y = predicted y value on y axis

b = slope

a = y intercept part

x = predictor variables. - value on x axis

used to make predictions

- can never pass through all values unless correlation is perfect.

→ minimizes the squared ~~differences~~ distances of the observed data points from the line

Variance \rightarrow indicate the degree to which scores are dispersed or different from each other.

s^2

→ average of squared distances of individual scores from mean of distribution

1) Frequency graph: → Draw 

- Write some up given

- calculate top & bottom

- When doing a histogram calculate - Real limits

- Midpoint

- interval

Work with 2 decimals unless from a table

Find at 25% or 65% or ...

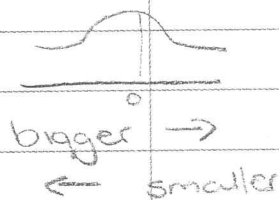
* Find group the % would most likely fall in

PR = Percentile Rank of this score that you wish to calculate

= % below is cumulative % below

interval % is class - % of that we are working in

When doing raw scores check for Bigger or smaller + draw the graph



use z table to lookup scores

When doing scores in between look up the mean
add together X by N.

U

Hypothesis - Alternative

Test > Critical value -
Test < critical value
→ Don't reject

→ N is the same amount

$$H_1 = \mu_A > \mu_B$$

If N is not same sample amount

$$H_1 = \mu_A \neq \mu_B$$

→ If N is not the same use Pooled variance

Sp

→ you can only use t of f answers in the rejection

Must do t - tests

T-test normally distributed

$$t = \frac{\bar{D} - 0}{\frac{SD}{\sqrt{N}}}$$

Pooled variance - N's differ

$$(N_1 - 1)S_1^2 + (N_2 - 1)S_2^2 \rightarrow \text{Standard deviation} \rightarrow \boxed{\text{NOT } (S^2)^2}$$

3 Groups Remember

Do X^2 for each

Σ for each

\bar{X} for each + \bar{X} for Group

N = total

n = each group (same)

$$\text{group } (\bar{X}_j - \bar{X})^2 = (\text{indiv. } \bar{X} - \text{group } \bar{X})^2$$

(3)

$k = \text{no of groups}$

Do Summary table

Source	df	SS	MS	F
Group				
error				

only df \rightarrow SS has total

see the formulas

df error = k - amount of groups not $(k-1)$

Critical value

df is always

"Make sure you are on the right table

df group \rightarrow top line numerator
error \downarrow side \rightarrow denominator

Chi-Table lookup χ^2 scores

df = $(r-1)(c-1) \rightarrow$ no of rows
 \hookrightarrow no of groups